

## Plan

# Scope in Kalaallisut: Analysis in CCG+UC<sub>2</sub>

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(W3: Aug 12, 2009)

- Review:
  - scope prediction
  - Kalaallisut data
- Analysis of Kalaallisut data
- Questions & discussion

## Scope prediction

- The scope of BA (morphologically bound argument) and any **iv-** or **cn-**modifiers is unambiguous

## Kalaallisut bound pronouns: Wide scope only

- (Last month Ole<sup>T</sup> ordered three books<sup>+</sup>.)
- Transitive s<sup>+</sup>...-pn<sub>i</sub>: wide only  
*Suli atuagaq ataasiq tigu-nngi(t)-la-a-Ø.*  
still <sup>+</sup>book<sub>i</sub> one<sub>i</sub> receive-not-DEC-3S<sub>(T)</sub>-3S<sub>(i)</sub>  
∃<sub>i</sub>. one book still missing
- Passive s<sup>+</sup>...-pn<sub>i</sub>: wide only  
*Suli atuagaq ataasiq tigu-niqa(r)-nngi(t)-la-q.*  
still <sup>T</sup>book<sub>T</sub> one<sub>T</sub> receive-pssv-not-DEC-3S<sub>(T)</sub>  
∃<sub>i</sub>. one book still missing

Kalaallisut argument *base-* | *-suffix*: Narrow scope only

- (Last month Ole<sup>T</sup> ordered three books<sup>±</sup>.)
- Antipassive *s<sup>+</sup>...*-*antip*: narrow only  
*Suli atuakkamik ataatsimik tigusinngilaq.*  
*Suli atuagaq-mik ataasiq-mik tigu-si-nngi(t)-la-q.*  
 still book-MOD<sub>δ</sub> one-<sub>δ</sub>MOD receive-*antip-not*-DEC-3S<sub>(T)</sub>  
 -∃. hasn't received any
- 'Noun incorporation *+s...*-*cn-iv\cn*': narrow only  
*Suli ataatsimik atuagarsinngilaq*  
*Suli ataasiq-mik atuagaq-si-nngi(t)-la-q.*  
 still one-<sub>δ</sub>MOD book-rcv-not-DEC-3S<sub>(T)</sub>  
 -∃. hasn't received any

Multiple *cn*-modifiers:  $[[+s... cn-...] +s]$  only

- (Yesterday I saw a bear near the village. And today...)  
*Ole alla-mik nanu-si-pu-q angisuu-mik.*  
 Ole other-<sub>δ</sub>MOD bear-see-DEC<sub>iv</sub>-3S<sub>(T)</sub> big-<sub>δ</sub>MOD  
 Ole saw another bear, a big one.
- (Yesterday I saw a big bear near the village. And today...)  
*Ole angisuu-mik nanu-si-pu-q alla-mik.*  
 Ole big-<sub>δ</sub>MOD bear-see-DEC<sub>iv</sub>-3S<sub>(T)</sub> other-<sub>δ</sub>MOD  
 Ole (too) saw a big bear, another one.

Kalaallisut Lexicon (part 1)

LEXICAL CATEGORIES (iv = s\pn, tv = iv\pn)

• roots

book-	cn: $\lambda x[bk(x)]$
one-	cn: $\lambda x[?δ \in xll]; [x \in ?δll]$
other-	cn: $\lambda x[?δ \in xll]; [x \neq_i ?δ]$
big-	cn: $\lambda x[big\{x, xll\}]$
receive-	tv: $\lambda y\lambda x([e]^{\pm}; [rcv\langle \perp \varepsilon, x, \perp \delta \rangle])$
• <u>derivational suffixes</u>	
-rcv	iv\cn: $\lambda P\lambda x(P \perp \delta^{\pm}; ([e]^{\pm}; [rcv\langle \perp \varepsilon, x, \perp \delta \rangle]))$
-see	iv\cn: $\lambda P\lambda x(P \perp \delta^{\pm}; ([e]^{\pm}; [see\langle \perp \varepsilon, x, \perp \delta \rangle]))$
-antip	iv\tnv: $\lambda R\lambda x, R \text{ BCK}\langle \perp \varepsilon \rangle x$
-pssv	iv\tnv: $\lambda R\lambda x, R \text{ xCTR}\langle \perp \varepsilon \rangle$
-not	iv\iv: $\lambda P\lambda x[\sim(Px)]$

<i>atuaga(q)-</i>
<i>ataasi(q)-</i>
<i>alla-</i>
<i>angisuu(q)-</i>
<i>tigu-</i>
<i>-si</i>
<i>-si</i>
<i>-si   -(ss)l...</i>
<i>-niqar   -taa</i>
<i>-nngit</i>

Kalaallisut Lexicon (part 2)

• GRAMMATICAL CATEGORIES (*s<sup>+</sup>* = s/s, *+s* = s/s)

-DEC	(s\pn)\iv: $\lambda P\lambda x, P, x$	<i>-pu   -pa   -la</i>
-(ERG) <sub>T</sub>	x\cn: $\lambda P\lambda K(P \text{ T } \delta^{\pm}; K)$	$(x \in \{s^+, +s\})$ <i>-Ø   -p...(-3<sub>T</sub>)</i>
-(ERG) <sub>±</sub>	<i>s<sup>+</sup></i> \cn: $\lambda P\lambda K(P \perp \delta^{\pm}; K)$	$(x \in \{s^+, +s\})$ <i>-Ø   -p...(-3<sub>±</sub>)</i>
-MOD <sub>δ</sub>	<i>s<sup>+</sup></i> \cn: $\lambda P\lambda K(P \perp \delta^{\pm}; (K^{\pm}; [\text{BCK } \perp \varepsilon =_i \perp \delta]))$	<i>-mik</i>
- <sub>δ</sub> MOD	<i>+s</i> \cn: $\lambda P\lambda K(K^{\pm}; P \perp \delta)$	<i>-mik</i>
-3S <sub>(T)</sub>	s(s\pn): $\lambda P, P \text{ T } \delta$	<i>-q   -a...</i>
-3S <sub>(±)</sub>	s(s\pn): $\lambda P, P \perp \delta$	<i>-Ø   ...</i>

• LEXICAL OPERATORS

T(-)	cn/cn: $\lambda P\lambda x([x]^T; P, x)$	T <sub>δ</sub> -accom.
±(-)	cn/cn: $\lambda P\lambda x([y]^{\pm}; P, x)$	± <sub>δ</sub> -accom.
-(·)	(cn\+s)\cn: $\lambda P\lambda J\lambda x, J(P, x)$	cn-lift
	(iv\+s)\iv: $\lambda P\lambda J\lambda x, J(P, x)$	iv-lift
- <sup>λ</sup> (·)	(s\s(x))x: $\lambda J\lambda H, H, J$	$(x \in \{s^+, +s\})$ postposed x-lift

TRANSITIVE: Wide scope  $s^+ \dots -pn_{\perp}$  (part 1)

Kalaallisut bound pronouns: Wide scope  $s^+ \dots -pn_{\perp} | -pn_{\top}$

- (Last month Ole<sup>T</sup> ordered three books<sup>⊥</sup>.)
- TRANSITIVE  
(suli) atuaqaq ataasiq tigu-nngi(t)-la-a-Ø  
(still) <sup>⊥</sup>book<sub>⊥</sub> one<sub>⊥</sub> receive-not-DEC-3S<sub>(T)</sub>-3S<sub>(⊥)</sub>  
 $\exists \rightarrow$ . one is still missing
- 'PASSIVE'  
(suli) atuaqaq ataasiq tigu-niqar-nngi(t)-la-q  
(still) <sup>T</sup>book<sub>T</sub> one<sub>T</sub> receive-passv-not-DEC-3S<sub>(T)</sub>  
 $\exists \rightarrow$ . one book is still missing

- <sup>⊥</sup>book<sub>⊥</sub> one<sub>⊥</sub> ...  
 $\frac{\frac{\frac{\frac{\perp(-)}{\perp} \quad \text{book} \quad \perp_{\perp}}{\text{cn/cn: } \lambda P \lambda x([y]^{\perp}; P_x)} \quad \text{cn: } \lambda x[bk(x)] \quad \text{+s\textbackslash cn} \quad \lambda P \lambda K(P_{\perp} \delta^{\perp}; K)}{\text{cn: } \lambda x([y]^{\perp}; [bk(x)])} >}{\text{+s: } \lambda K([y] bk(y)]^{\perp}; K)} <$   
 $\frac{\frac{\frac{\text{one-} \quad \perp(-) \quad \perp_{\perp}}{\text{cn: } \lambda x([\perp \delta_2 \in x]]; [x \in \perp \delta_2])} \quad \text{(cn\textbackslash s)\textbackslash cn: } \text{+s\textbackslash cn: } \lambda P \lambda J \lambda x, J(P_x) \quad \lambda P \lambda K(P_{\perp} \delta^{\perp}; K)}{\text{cn\textbackslash s: } \lambda J \lambda x, J([\perp \delta_2 \in x]]; [x \in \perp \delta_2])} <}{\text{s\textbackslash s: } \lambda J \lambda K(J([\perp \delta_2 \in \perp \delta]]; [\perp \delta \in \perp \delta_2])^{\perp}; K)} < \mathbf{B}$   
 $\frac{\text{s\textbackslash s: } \lambda J \lambda K(J([\perp \delta_2 \in \perp \delta]]; [\perp \delta \in \perp \delta_2])^{\perp}; K)}{\text{s\textbackslash s: } \lambda K([y] bk(y)]; [\perp \delta_2 \in \perp \delta]]; [\perp \delta \in \perp \delta_2])^{\perp}; K)} <$

TRANSITIVE: Wide scope  $s^+ \dots -pn_{\perp}$  (conclusion)

- <sup>⊥</sup>book<sub>⊥</sub> one<sub>⊥</sub> ...  
 $\frac{\text{s\textbackslash s: } \lambda K([y] bk(y)]; [\perp \delta_2 \in \perp \delta]]; [\perp \delta \in \perp \delta_2])^{\perp}; K)} <$
- ... T hasn't received <sub>⊥</sub>.  
 $\frac{\frac{\frac{\frac{\text{receive-} \quad \text{-not} \quad \text{-DEC} \quad \text{-3S}_{(T)} \quad \text{-3S}_{(\perp)}}{\text{tv (= iv\textbackslash pn): } \lambda y \lambda x([e]^{\perp}; [rcv(\perp e, x, y)])} \quad \text{iv\textbackslash iv: } \lambda P \lambda x[-(P_x)] \quad \text{(s\textbackslash pn)\textbackslash iv: } \lambda P \lambda x, P_x \quad \text{s(s\textbackslash pn): } \lambda P, P, T \delta \quad \text{s(s\textbackslash pn): } \lambda P, P, \perp \delta}}{\text{tv (= iv\textbackslash pn): } \lambda y \lambda x[-([e]^{\perp}; [rcv(\perp e, x, y)])]} < \mathbf{B}$   
 $\frac{\text{tv (= iv\textbackslash pn): } \lambda y \lambda x[-([e]^{\perp}; [rcv(\perp e, x, y)])]}{\text{(s\textbackslash pn)\textbackslash pn: } \lambda y \lambda x[-([e]^{\perp}; [rcv(\perp e, x, y)])]} < \mathbf{B}$   
 $\frac{\text{(s\textbackslash pn)\textbackslash pn: } \lambda y \lambda x[-([e]^{\perp}; [rcv(\perp e, x, y)])]}{\text{s\textbackslash pn: } \lambda y[-([e]^{\perp}; [rcv(\perp e, T \delta, y)])]} <$   
 $\frac{\text{s\textbackslash pn: } \lambda y[-([e]^{\perp}; [rcv(\perp e, T \delta, y)])]}{\text{s: } [-[el rcv(e, T \delta, \perp \delta)]]} <$
- s: ([y] bk(y)]; [<sub>⊥</sub>δ<sub>2</sub> ∈ <sub>⊥</sub>δ]]; [<sub>⊥</sub>δ ∈ <sub>⊥</sub>δ<sub>2</sub>]]; [-[el rcv(e, Tδ, <sub>⊥</sub>δ)]] >

'PASSIVE': Wide scope  $s^+ \dots -pn_{\top}$  (part 1)

- <sup>T</sup>book<sub>T</sub> one<sub>T</sub> ...  
 $\frac{\frac{\frac{\frac{\text{T}(-)}{\text{T}} \quad \text{book} \quad \text{T}_{\text{T}}}{\text{cn/cn: } \lambda P \lambda x([x]^{\text{T}}; P_x)} \quad \text{cn: } \lambda x[bk(x)] \quad \text{+s\textbackslash cn} \quad \lambda P \lambda K(P_{\text{T}} \delta^{\text{T}}; K)}{\text{cn/cn: } \lambda x([x]^{\text{T}}; [bk(x)])} >}{\text{+s: } \lambda K([x] bk(x)]^{\text{T}}; K)} <$   
 $\frac{\frac{\frac{\text{one-} \quad \perp(-) \quad \text{T}_{\text{T}}}{\text{cn: } \lambda x([\perp \delta_2 \in x]]; [x \in \perp \delta_2])} \quad \text{(cn\textbackslash s)\textbackslash cn: } \text{+s\textbackslash cn: } \lambda P \lambda J \lambda x, J(P_x) \quad \lambda P \lambda K(P_{\text{T}} \delta^{\text{T}}; K)}{\text{cn\textbackslash s: } \lambda J \lambda x, J([\perp \delta_2 \in x]]; [x \in \perp \delta_2])} <}{\text{s\textbackslash s: } \lambda J \lambda K(J([\perp \delta_2 \in \text{T} \delta]]; [\text{T} \delta \in \perp \delta_2])^{\text{T}}; K)} < \mathbf{B}$   
 $\frac{\text{s\textbackslash s: } \lambda J \lambda K(J([\perp \delta_2 \in \text{T} \delta]]; [\text{T} \delta \in \perp \delta_2])^{\text{T}}; K)}{\text{s\textbackslash s: } \lambda K([x] bk(x)]; [\perp \delta_2 \in \text{T} \delta]]; [\text{T} \delta \in \perp \delta_2])^{\text{T}}; K)} <$

‘PASSIVE’: Wide scope  $s^+ \dots -pn_T$  (conclusion)

- $\uparrow$ book<sub>T</sub> one<sub>T</sub> ...  
 $s^+ (= s/s): \lambda K((\lambda x bk(x)); [\perp \delta_2 \in T\delta]); [T\delta \in \perp \delta_2]; T; K)$
- ... T hasn't been received.  

receive-	-passv	-not	-DEC	-3S <sub>(T)</sub>
tv:	iv\iv:	iv\iv:	(s\pn)\iv:	s\pn:
$\lambda y \lambda x ([e]^+; [rcv(\perp \epsilon, x, y)])$	$\lambda R \lambda x. R x$ CTR $(\perp \epsilon)$	$\lambda P \lambda x [-(P x)]$	$\lambda P \lambda x. P x$	$\lambda P. P T \delta$

  
 $iv: \lambda x ([e]^+; [rcv(\perp \epsilon, CTR \perp \epsilon, x)])$   
 $iv: \lambda x [-(e)^+; [rcv(\perp \epsilon, CTR \perp \epsilon, x)]]$   
 $s\pn: \lambda x [-(e)^+; [rcv(\perp \epsilon, CTR \perp \epsilon, x)]]$   
 $s: [-(e) rcv(e, CTR e, T\delta)]$
- $s: ((\lambda x bk(x)); [\perp \delta_2 \in T\delta]); [T\delta \in \perp \delta_2]; [-(e) rcv(e, CTR e, T\delta)]$

Kalaallit ‘object’ reduction:  
Narrow scope  $s^+ \dots -antip$  |  $+s \dots cn$

- (Last month Ole<sup>T</sup> ordered three books<sup>+</sup>.)
- (suli) atuakkamik ataatsimik tigusinggilaq  
 (suli) atuaga(q)-mik ataasi(q)-mik tigu-si-nngi(t)-la-q  
 (still)  $\uparrow$ book-MOD<sub>s</sub> one-<sub>s</sub>MOD  $\setminus$ (receive-*antip*)-not-DEC-3S<sub>(T)</sub>  
 $\rightarrow \exists$ . hasn't received even one book
- (suli) ataatsimik atuagarsinggilaq  
 (suli) ataasi(q)-mik atuaga(q)-si-nngi(t)-la-q  
 (still) one-<sub>s</sub>MOD  $\setminus$ (book-)-rcv-not-DEC-3S<sub>(T)</sub>  
 $\rightarrow \exists$ . hasn't received even one book

ANTIPASSIVE: Narrow scope  $s^+ \dots -antip$  (part 1)

- $\uparrow$ book-MOD<sub>s</sub> one-<sub>s</sub>MOD ...  
 $\uparrow(-)$  book -MOD<sub>s</sub>  

cn/cn	cn:	$s^+cn$
$\lambda P \lambda x ([y]^+; P x)$	$\lambda x bk(x)$	$\lambda P \lambda K (P \perp \delta^+; (K^+; [BCK(\perp \epsilon) = \perp \delta]))$

  
 $cn: \lambda x ([y]^+; [bk(x)])$   
 $s^+ (= s/s): \lambda K((\lambda y bk(y))^+; (K^+; [BCK(\perp \epsilon) = \perp \delta]))$   

one-	- <sub>s</sub> MOD
cn:	$+s\cn:$
$\lambda x ([\perp \delta_2 \in \perp \delta]; [x \in \perp \delta_2])$	$\lambda P \lambda K (K^+; P \perp \delta)$

  
 $+s (= s/s): \lambda K (K^+; ([\perp \delta_2 \in \perp \delta]; [\perp \delta \in \perp \delta_2]))$
- $s^+ (= s/s): \lambda K((\lambda y bk(y))^+; (K^+; ([\perp \delta_2 \in \perp \delta]; [\perp \delta \in \perp \delta_2]; [BCK(\perp \epsilon) = \perp \delta]))$

ANTIPASSIVE: Narrow scope  $s^+ \dots -antip$  (conclusion)

- $\uparrow$ book-MOD<sub>s</sub> one-<sub>s</sub>MOD ...  
 $s^+ (= s/s): \lambda K((\lambda y bk(y))^+; (K^+; ([\perp \delta_2 \in \perp \delta]; [\perp \delta \in \perp \delta_2]; [BCK(\perp \epsilon) = \perp \delta]))$
- ... T hasn't  $\downarrow$  [received anything].  

receive-	-antip	$\setminus(-)$	-not-DEC-3S <sub>(T)</sub>
tv:	iv\iv	(iv\is <sup>+</sup> )\iv:	s\iv:
$\lambda y \lambda x ([e]^+; [rcv(\perp \epsilon, x, y)])$	$\lambda R \lambda x. R$ BCK $(\perp \epsilon) x$	$\lambda P \lambda \lambda x. \setminus(P x)$	$\lambda P \lambda x [-(P T \delta)]$

  
 $iv: \lambda x ([e]^+; [rcv(\perp \epsilon, x, BCK \perp \epsilon)])$   
 $iv\is^+: \lambda \setminus \lambda x. \setminus([e]^+; [rcv(\perp \epsilon, x, BCK \perp \epsilon)])$   
 $s\is^+: \lambda \setminus [-(e) rcv(e, T\delta, BCK e)]$
- $s: [-(\lambda y bk(y)); [e) rcv(e, T\delta, BCK e)]; [\perp \delta_2 \in \perp \delta]; [\perp \delta \in \perp \delta_2]; [BCK(\perp \epsilon) = \perp \delta]]$   
 $s: [-(\lambda y bk(y)); [\perp \delta_2 \in \perp \delta]; [\perp \delta \in \perp \delta_2]; [e) rcv(e, T\delta, BCK e)]; [BCK(\perp \epsilon) = \perp \delta]]$   
 $s: [-(\lambda y bk(y)); [\perp \delta_2 \in \perp \delta]; [\perp \delta \in \perp \delta_2]; [e) rcv(e, T\delta, \perp \delta)]]$

'NOUN INCORPORATION': Narrow scope +s ... *cn-* (part 1)

- one-  $\frac{-\text{MOD}}{\text{one-}} < \text{B}$   
 $\text{cn: } \lambda x([\perp \delta_2 \in \perp \delta_1]; [x \in \perp \delta_2]) \quad +s \text{cn: } \lambda P \lambda K(K^+; P \perp \delta)$   
 $+s (= s/s): \lambda K(K^+; ([\perp \delta_2 \in \perp \delta_1]; [\perp \delta \in \perp \delta_2]))$
- ... T hasn't [received any *J-book*].  
 $\frac{+(-) \quad \text{book-} \quad -(-) \quad \text{-rcv} \quad \text{-not-DEC-3S}_{\text{T}}}{\text{cn/cn:} \quad \text{cn:} \quad (\text{cn}^+s)\text{cn:} \quad \text{iv}\backslash\text{cn:} \quad \text{s}\backslash\text{iv:}}$   
 $\lambda P \lambda x([y]^+; P \perp x) \quad \lambda x[bk(x)] \quad \lambda P \lambda J \lambda x. J(P \perp x) \quad \lambda P \lambda x(P \perp \delta^+; ([e]^+; [rcv(\perp e, x, \perp \delta)])) \quad \lambda P[\sim(P \perp \delta)]$   
 $\text{cn: } \lambda x([y]^+; [bk(x)])$   
 $\text{cn}^+s: \lambda J \lambda x. J([y]^+; [bk(x)])$   
 $\text{iv}^+s: \lambda J \lambda x. J([y]^+; [bk(x)])^+; ([e]^+; [rcv(\perp e, x, \perp \delta)]))$   
 $\text{s}^+s: \lambda J[\sim(J[y]^+ bk(y))]; [el \text{rcv}(e, \tau \delta, \perp \delta)]$

Multiple *cn*-modifiers: [[+s... *cn*-...] +s] only

- (Yesterday I saw a bear near the village. And today...)  
*Ole alla-mik nanu-si-pu-q angisuu-mik.*  
 $\text{T} \text{Ole}_{\text{T}} \text{ other-}_{\text{MOD}} \text{ } \backslash \text{ } (+\text{bear-})\text{-see-DEC}_{\text{iv-3S}_{\text{T}}} \text{ } \backslash \text{ } (\text{big-}_{\text{MOD}})$   
 Ole saw another bear, a big one.
- (Yesterday I saw a big bear near the village. And today...)  
*Ole angisuu-mik nanu-si-pu-q alla-mik.*  
 $\text{T} \text{Ole}_{\text{T}} \text{ big-}_{\text{MOD}} \text{ } \backslash \text{ } (+\text{bear-})\text{-see-DEC}_{\text{iv-3S}_{\text{T}}} \text{ } \backslash \text{ } (\text{other-}_{\text{MOD}})$   
 Ole (too) saw a big bear, another one.

'NOUN INCORPORATION' vs. Antipassive: Comparison

- 'NOUN INCORPORATION'  
 $\frac{\text{one-}_{\text{MOD}} \quad \backslash \text{ } (+\text{book-})\text{-rcv-not-DEC-3S}_{\text{T}}}{\text{one-}_{\text{MOD}} < \text{B}} < \text{B}$   
 $+s (= s/s): \lambda K(K^+; ([\perp \delta_2 \in \perp \delta_1]; [\perp \delta \in \perp \delta_2])) \quad \text{s}^+s: \lambda J[\sim(J[y] bk(y))]^+; [el \text{rcv}(e, \tau \delta, \perp \delta)]$   
 $\text{s: } [\sim(([y] bk(y))]^+; ([\perp \delta_2 \in \perp \delta_1]; [\perp \delta \in \perp \delta_2]))^+; [el \text{rcv}(e, \tau \delta, \perp \delta)]]$   
 $\text{s: } [\sim([y] bk(y)); [\perp \delta_2 \in \perp \delta_1]; [\perp \delta \in \perp \delta_2]]; [el \text{rcv}(e, \tau \delta, \perp \delta)]]$
- ANTIPASSIVE  
 $\frac{+\text{book-MOD}_{\text{S}} \text{ one-}_{\text{MOD}} \quad \backslash \text{ } (\text{receive-antip-})\text{-not-DEC-3S}_{\text{T}}}{+\text{book-MOD}_{\text{S}} \text{ one-}_{\text{MOD}} < \text{B}_x} < \text{B}$   
 $\text{s}^+ (= s/s): \lambda K([y] bk(y))]^+; (K^+; ([\perp \delta_2 \in \perp \delta_1]; [\perp \delta \in \perp \delta_2])); [\text{BCK}(\perp e) =_i \perp \delta]) \quad \text{s}^+s: \lambda J[\sim(J[el \text{rcv}(e, \tau \delta, \text{BCK } e)])]$   
 $\text{s: } [\sim([y] bk(y)); [el \text{rcv}(e, \tau \delta, \text{BCK } e)]; [\perp \delta_2 \in \perp \delta_1]; [\perp \delta \in \perp \delta_2]]; [\text{BCK}(\perp e) =_i \perp \delta]]$   
 $\text{s: } [\sim([y] bk(y)); [\perp \delta_2 \in \perp \delta_1]; [\perp \delta \in \perp \delta_2]]; [el \text{rcv}(e, \tau \delta, \perp \delta)]]$

Multiple *cn*-modifiers: [[+s ... *cn*-...] +s] only (part 1)

- T saw a *J(J*-bear) ...  
 $\frac{+(-) \quad \text{bear-} \quad -(-) \quad -(-)}{\text{cn/cn:} \quad \text{cn:} \quad (\text{cn}^+s)\text{cn:} \quad (\text{cn}^+s)\text{cn:}}$   
 $\lambda P \lambda x([y]^+; P \perp x) \quad \lambda x[\text{bear}(x)] \quad \lambda P \lambda J \lambda x. J(P \perp x) \quad \lambda P \lambda J \lambda x. J(P \perp x)$   
 $\text{cn: } \lambda x([y]^+; [\text{bear}(x)])$   
 $\text{cn}^+s: \lambda J \lambda x. J([y]^+; [\text{bear}(x)])$   
 $(\text{cn}^+s)^+s: \lambda J \lambda J \lambda x. J(J([y]^+; [\text{bear}(x)]))$   
 $\text{-see} \quad \text{-DEC}_{\text{iv-3S}_{\text{T}}}$   
 $\text{iv}\backslash\text{cn: } \lambda P \lambda x(P \perp \delta^+; ([e]^+; [\text{see}(\perp e, x, \perp \delta)])) \quad \text{s}\backslash\text{iv: } \lambda P. P \perp \tau \delta$   
 $\text{s}\backslash\text{cn: } \lambda P(P \perp \delta^+; [el \text{see}(e, \tau \delta, \perp \delta)])$   
 $(\text{s}^+s)^+s: \lambda J \lambda J \lambda x. J(J([y]^+; [\text{bear}(x)]))^+; [el \text{see}(e, \tau \delta, \perp \delta)]$

[[+s ... *cn*-...] +s]: Ole saw **another bear**, a **big one**.

- T saw a (other bear) ...  
other-  $\frac{\quad}{\quad} \frac{-_{\delta} \text{MOD}}{\quad}$   
cn:  $\lambda_{\underline{x}}([\perp \delta_2 \in \underline{x}]]; [\underline{x} \neq \perp \delta_2]) \quad +s \backslash \text{cn}: \lambda \underline{P} \lambda K(K \perp; \underline{P} \perp \delta)$   


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+s (= s\ s):  $\lambda K(K \perp; ([\perp \delta_2 \in \perp \delta]]; [\perp \delta \neq \perp \delta_2]))$   
 $\frac{\quad}{\quad} \frac{\Psi(\perp \text{bear-})\text{-see-DEC}_{\text{r-3s}_{\text{T}}}}{\quad} \ll \mathbf{B}$   
 $\frac{\quad}{\quad} \frac{(s \backslash s)^+ s: \lambda \underline{J} \lambda \underline{J}(\underline{J} \lambda \text{bear}(y)) \perp; [el \text{ see}(e, \tau \delta, \perp \delta)]}{\quad} \ll \mathbf{B}$   


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s\ s:  $\lambda \underline{J} \lambda \underline{J}(\lambda \text{bear}(y)); [\perp \delta_2 \in \perp \delta]]; [\perp \delta \neq \perp \delta_2]) \perp; [el \text{ see}(e, \tau \delta, \perp \delta)]$   
• ... a big one.  
big-  $\frac{\quad}{\quad} \frac{-_{\delta} \text{MOD}}{\quad} \frac{-\Psi(\cdot)}{\quad}$   
cn:  $\lambda_{\underline{x}}[big\{\underline{x}, \underline{x}]] \quad +s \backslash \text{cn}: \lambda \underline{P} \lambda K(K \perp; \underline{P} \perp \delta) \quad (s \backslash (s \backslash s))^+ s: \lambda \underline{J} \lambda \underline{H}. \underline{H} \underline{J}$   


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+s:  $\lambda K(K \perp; [big\{\perp \delta, \perp \delta\}])$   


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s\ (s \backslash s):  $\lambda \underline{H}. \underline{H}(\lambda K(K \perp; [big\{\perp \delta, \perp \delta\}]))$   
• s:  $([\lambda \text{bear}(y)]; [\perp \delta_2 \in \perp \delta]]; [\perp \delta \neq \perp \delta_2]; [big\{\perp \delta, \perp \delta\}]; [el \text{ see}(e, \tau \delta, \perp \delta)])$

[[+s ... *cn*-...] +s]: Ole saw a **big bear**, **another one**

- T saw a (big bear) ...  
big-  $\frac{\quad}{\quad} \frac{-_{\delta} \text{MOD}}{\quad}$   
cn:  $\lambda_{\underline{x}}[big\{\underline{x}, \underline{x}]] \quad +s \backslash \text{cn}: \lambda \underline{P} \lambda K(K \perp; \underline{P} \perp \delta)$   


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+s (= s\ s):  $\lambda K(K \perp; [big\{\perp \delta, \perp \delta\}])$   
 $\frac{\quad}{\quad} \frac{\Psi(\perp \text{bear-})\text{-see-DEC}_{\text{r-3s}_{\text{T}}}}{\quad} \ll \mathbf{B}$   
 $\frac{\quad}{\quad} \frac{(s \backslash s)^+ s: \lambda \underline{J} \lambda \underline{J}(\underline{J} \lambda \text{bear}(y)) \perp; [el \text{ see}(e, \tau \delta, \perp \delta)]}{\quad} \ll \mathbf{B}$   


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s\ s:  $\lambda \underline{J} \lambda \underline{J}(\lambda \text{bear}(y)); [big\{\perp \delta, \perp \delta\}]) \perp; [el \text{ see}(e, \tau \delta, \perp \delta)]$   
• ... another one.  
other-  $\frac{\quad}{\quad} \frac{-_{\delta} \text{MOD}}{\quad} \frac{-\Psi(\cdot)}{\quad}$   
cn:  $\lambda_{\underline{x}}([\perp \delta_2 \in \underline{x}]]; [\underline{x} \neq \perp \delta_2]) \quad +s \backslash \text{cn}: \lambda \underline{P} \lambda K(K \perp; \underline{P} \perp \delta) \quad (s \backslash (s \backslash s))^+ s: \lambda \underline{J} \lambda \underline{H}. \underline{H} \underline{J}$   


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+s:  $\lambda K(K \perp; ([\perp \delta_2 \in \perp \delta]]; [\perp \delta \neq \perp \delta_2]))$   


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s\ (s \backslash s):  $\lambda \underline{H}. \underline{H}(\lambda K(K \perp; ([\perp \delta_2 \in \perp \delta]]; [\perp \delta \neq \perp \delta_2])))$   
• s:  $([\lambda \text{bear}(y)]; [big\{\perp \delta, \perp \delta\}]; [\perp \delta_2 \in \perp \delta]]; [\perp \delta \neq \perp \delta_2]; [el \text{ see}(e, \tau \delta, \perp \delta)])$